

3. The charging current rate is the most important factor & it can significantly influence the battery behaviour.

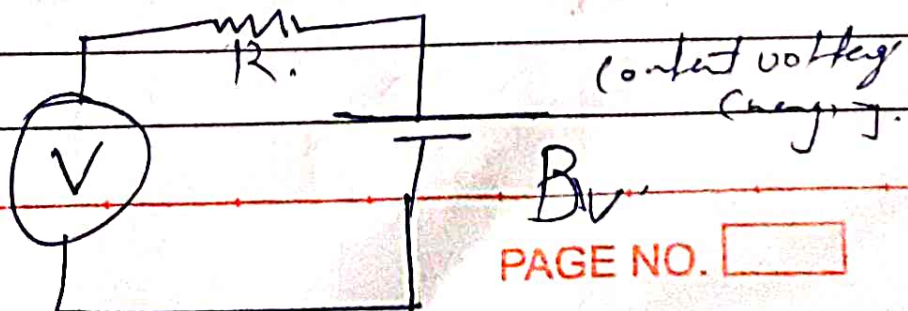
4. A high charging current provides a quick charge but also significantly affects the battery aging process.

5. $0.5C \rightarrow 0.8C$ (For EV Battery) current rate.

* Constant voltage charging :-

1. CV charging regulates a predefined constant voltage to charge the batteries. Its main advantage is that it circumvents overvoltages & irreversible side reaction, thus prolong battery life.

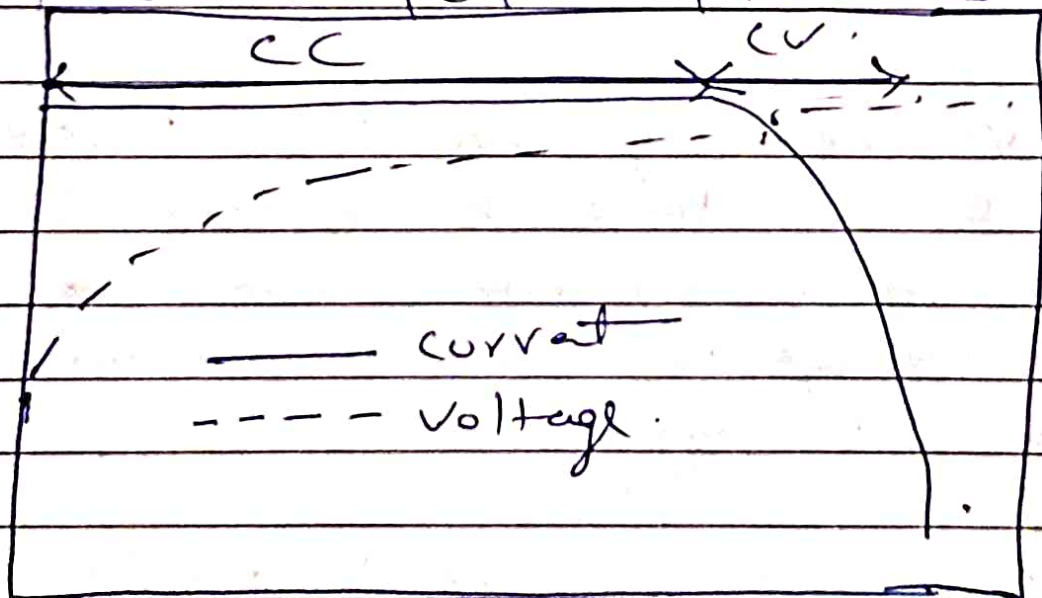
2. Since the voltage is constant, the charging current decreases as the battery charges.



Success has No Shortcuts.

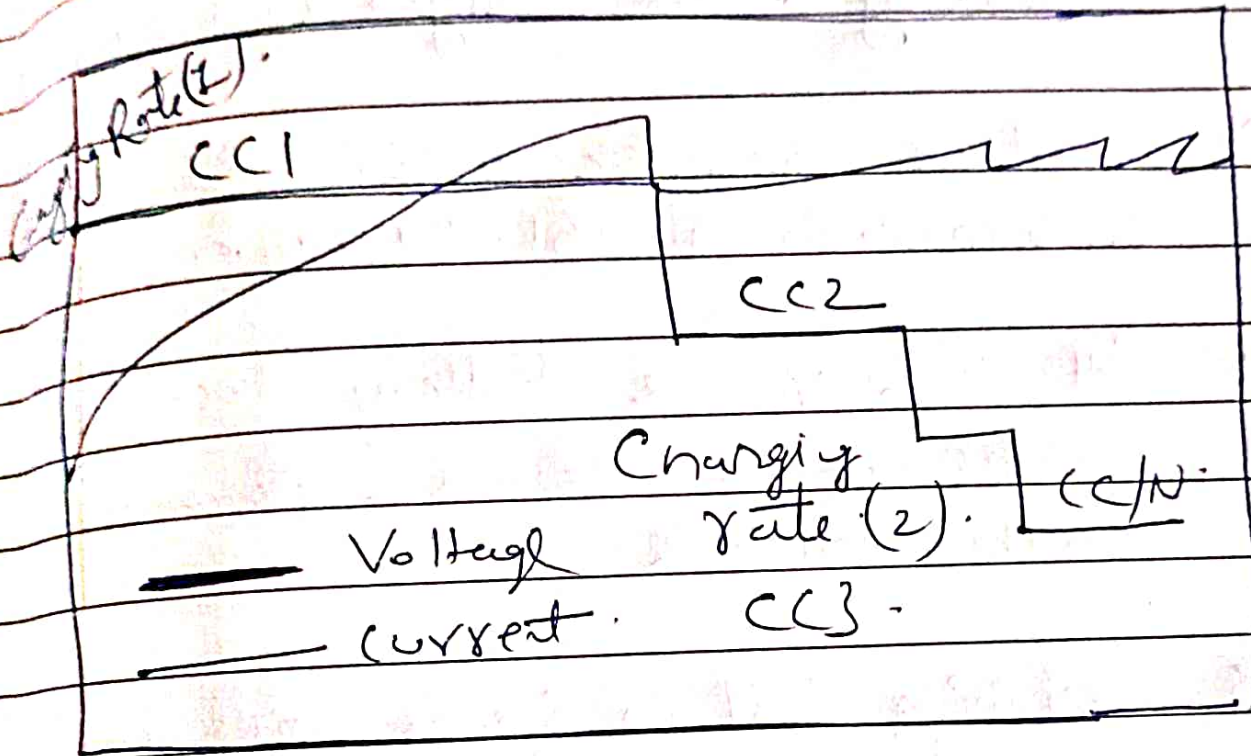
* CC/CV Charging

- ① The CC-CV charging method is a hybrid approach that combines the two previously mentioned charging methods. It uses CC charging in the first charging state, 2 when the voltage reaches the max. safe threshold value, the charging process shifts to the CV charging method. The charging process is complete when the current level off or when the full battery capacity is reached.



→ fast charging 80% charge with an hour.

Multi Stage Constant current (MCC) Sources.



CC1 → Capacity reached some stage at high rate.

CC2 →

* Lecture 2.1.13.

Battery Calculation Basics.

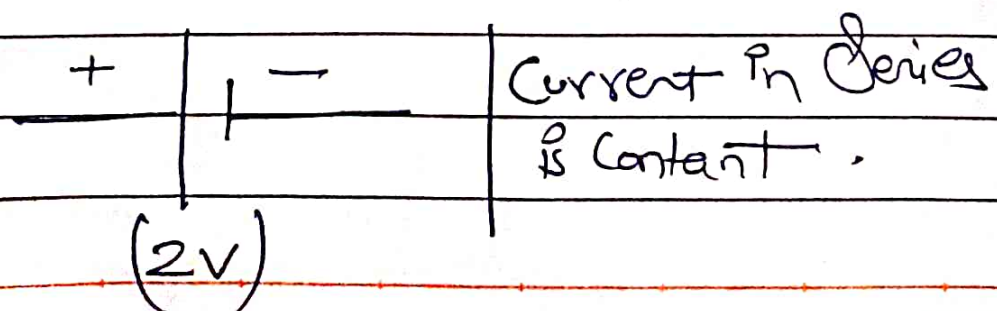
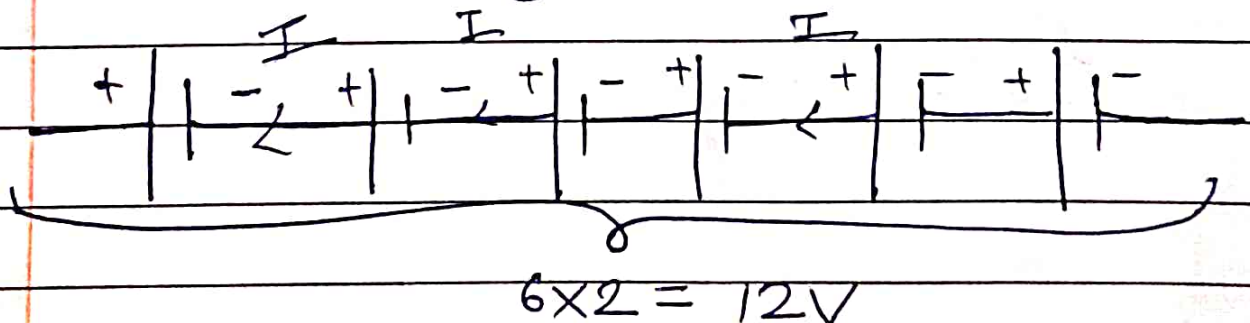
→ Battery Pack Design Calculation.

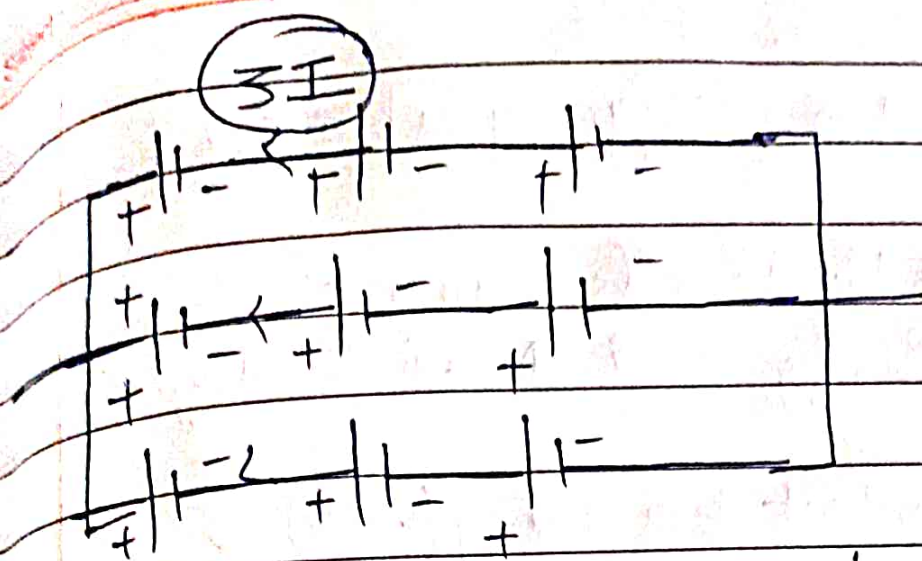
① Let us consider an EV with Energy Consumption of 161.74 Wh/km

2. All high voltage Battery Packs are made up of series & parallel combination cell.

3. Combining cell in series will give as Voltage shutdown rating.

4. Parallel Combination of cell increase current rating.





Parallel connection

12 V.

3 times more capacity

3 times more current

So for range of 300 km, we require
 a battery pack with energy capacity
 of : $161.74 \times 300 = 48.52 \text{ Wh}$.

* Steps for designing a battery pack.

1. Calculate No. of cells connected in series in a string $\rightarrow$ Nominal voltage / Cell voltage

2. Energy Content of a string (Wh) $\rightarrow$
$$\text{No. of cell in string} \times \text{energy of cell (Wh)}$$

3. Total No. of strings in battery pack $\rightarrow$ Total battery pack Energy / Energy of string.

4. Battery pack capacity (Ah) $\rightarrow$
$$\text{No. of strings} \times \text{capacity of cell (Ah)}$$

5. String peak current (amp) $\rightarrow$
$$\text{String peak current} \times \text{C-rate (peak)}$$

6. Battery pack peak power (W) $\rightarrow$
$$\text{B.P. peak current} \times \text{Battery voltage}$$

7. String Continuous current $\rightarrow$ Continuous C-rate $\times$ Battery Cell Capacity (Ah)

8. Battery Pack Continuous Current $\rightarrow$

String Continuous Current $\times$

Battery Cell capacity

9. Battery pack continuous power $\rightarrow$

Battery pack cont. current $\times$

Battery pack voltage

$$P = V_n I_{\text{cont}}$$

* Lecture 2.1.14
Energy Consumption Pt 01.

→ Energy calculation: →.

Power.

Energy.

$$P = F \times V \quad (\text{Force} \times \text{velocity}).$$

$$P = \tau \times \omega \quad (\text{Angular torque} \times \text{Angular velocity})$$

Force → force applied on the body.

Velocity → velocity is speed by which is travel in direction.

For power train of a vehicle.

Power: → How much faster the
vehicle can carry a load.

$$g = 10 \text{ m/s}^2$$

10N

10N

→ $V = 4 \text{ m/s}$

$$P = 10 \times 4 = 40 \text{ W}$$

Energy

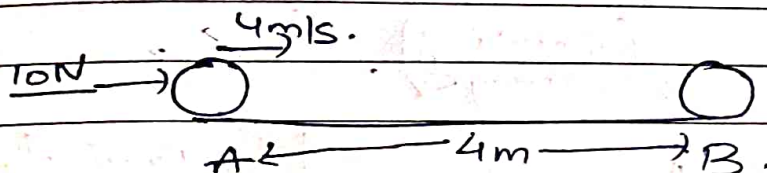
$$E = P \times t$$

$$= F \times S \quad (\text{Force} \times \text{load} \times \text{Distance}).$$

$$\text{Energy} \Rightarrow 10 \times 4 = 40 \text{ Wh} \rightarrow$$

$$F = \text{Force} \rightarrow \text{load}.$$

$$S = \text{distance travelled}.$$



$$t = \frac{4000 \text{ Wh}}{40 \text{ Wh}} = 100 \text{ h}.$$

$$= \frac{40 \text{ J}}{40 \text{ W}} = 1 \text{ s}.$$

→ For Power Train.

Energy → How much further the vehicle can go carrying the load.

Battery Pack ← Stores ^{chemical} energy → electrical.

$$\text{Electrical energy} = P \times t$$

$$= V \times I \times t.$$

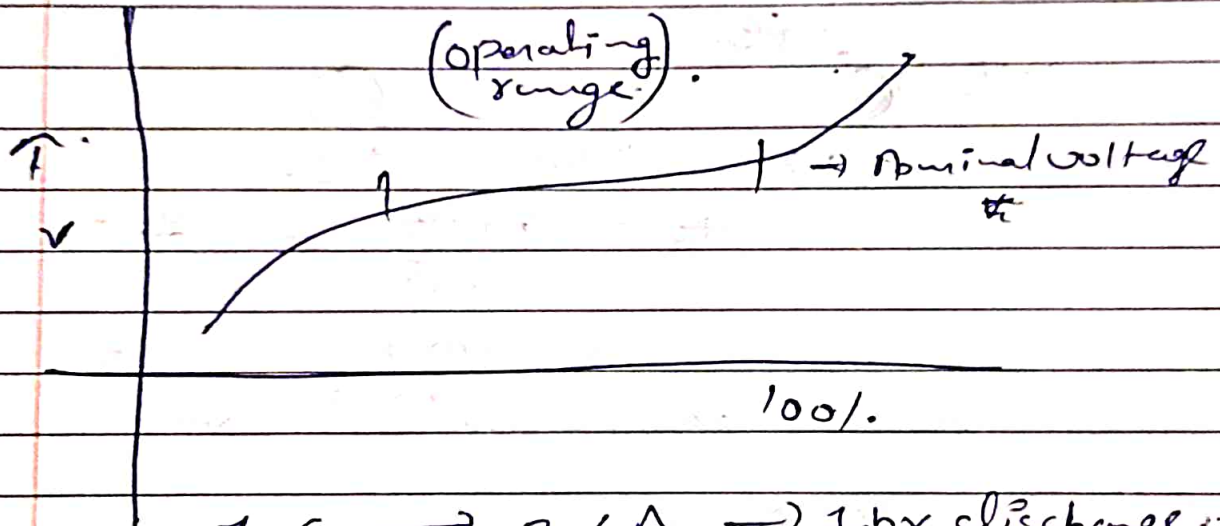
Voltage $\times$ current $\times$ time.

Gyansankar

Subject :

Nominal voltage $\rightarrow V$
Nominal Capacity $\rightarrow C (Ah) \rightarrow \text{Discharge hour.}$

NMC $\rightarrow$ Nominal voltage $\rightarrow 3.6V$.
18650 Nominal capacity $\rightarrow$.



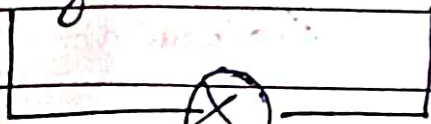
$1C \rightarrow 2.6A \rightarrow 1hr \text{ discharge}$
 $2C \rightarrow 5.2A \rightarrow 30 \text{ minute}$

Nominal Energy $\rightarrow$ Nominal voltage $\times$ Nominal Capacity

$$= 3.6 \times 2.6 \times 9.36 \text{ Wh}$$

$$P = V \times I = V \times A = W$$

Voltage Current Energy.



Power (E vs).

$\rightarrow$ Power $\rightarrow$ Motor Power Rating.

Voltage $\rightarrow$ Motor voltage / controller voltage range.
(upper & lower cutoff)

48V $\leftarrow$ 60 Volt Motor $\rightarrow$ 72V.
Operating range.

49V
Lower cutoff

70/71V.
Upper cutoff

Subject: _____

⇒ Energy :-

(EVs)

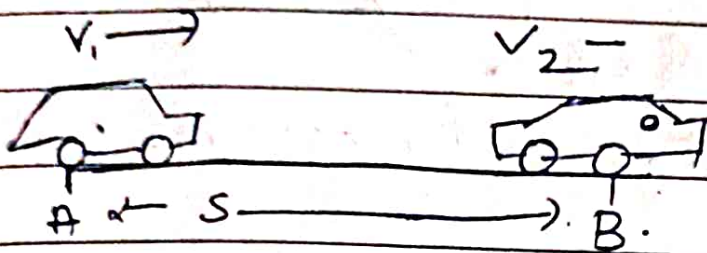
Energy Consumption $\rightarrow$ (Wh/km)
(Mileage) in electrical vehicle.

1 Wh $\rightarrow$ 1 unit of electricity
40 kWh $\rightarrow$ 40 units.

1000 Wh $\rightarrow$ 1 unit

Energy Consumption Pt 02.

→ Energy consumption calculation :-



Energy Consumed $\rightarrow \Delta E$.

Energy consumed = Kinetic energy of vehicle
+ Energy lost on resistance

$$\text{Kinetic energy of vehicle} = \Delta KE = \frac{1}{2} m (v_2^2 - v_1^2)$$

Energy lost on resistance

$$\Rightarrow \underbrace{(R_a + R_r + R_g)}_{\text{Resistive Force}} \times \text{distance travelled.}$$

$$= (R_a + R_r + R_g) \times S$$

$$\Delta E = \Delta KE + (R_a + R_r + R_g) \times S$$

Energy consumption $\rightarrow \Delta E'$

$$\boxed{\Delta E' = \frac{\Delta E}{S}}$$

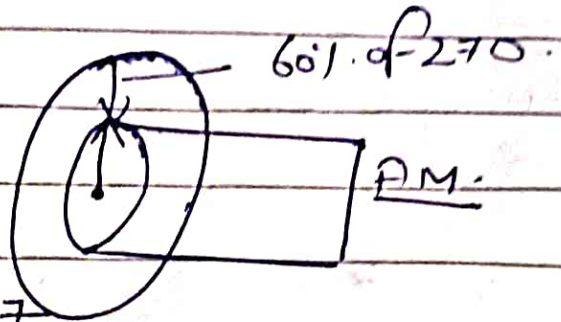
Subject :

* Vehicle.

$$\text{mass} = m = 1100 \text{ kg.}$$

$$\text{wheels} = 270/60 \text{ R17}$$

$$\text{wheel radius} = \left(\frac{17 \times 25.4}{2} \right) + \left(\frac{270 \times 60}{100} \right) = 377.9.$$



$$\text{front projected area} = 2.1 \text{ m}^2$$

$$M_x = 0.02$$

$$C_d = 0.26$$

$$\rho = 1.225 \text{ g/m}^3.$$

Assue. $\theta = 0^\circ \Rightarrow \text{Ground is flat.}$

* Aerodynamic Resistance.

$$R_a = \frac{1}{2} \times \rho \times C_d \times A \times v^2$$

Initial acceleration.

$$\text{at } t=0 \rightarrow v = 0 \text{ m/s.}$$

$$t = 5 \text{ s} \rightarrow v = 60 \text{ kmph} = 60 \times \frac{5}{18} = 16.67 \text{ m/s}$$

=)

$$S = ut + \frac{1}{2}at^2 = \frac{1}{2}at^2$$

$$= \frac{1}{2} \frac{(v-u)}{t} \times t^2$$

$$= \frac{1}{2} \times v_2 \times t^2$$

$$= \frac{1}{2} \times v_2 \times t$$

$$= \frac{16.67 \times 5}{2} = 41.67 \text{ m}$$

Aerodynamic Force.

$$R_a = \frac{1}{2} \times \rho \times C_d \times A (v_2^2 - v_1^2)$$

$$= \frac{1}{2} \times 1.225 \times 0.26 \times 2.21 \times (16.67)^2$$

$$= 97.80 \text{ N}$$

Rolling Resistance. $\Rightarrow \mu_r = 0.02$

$$\begin{aligned} R_r &= \mu_r \cdot mg = 0.02 \times 1100 \times g \\ &= 0.02 \times 1100 \times 9.81 \\ &= 215.82 \text{ N} \end{aligned}$$

$$R_g \Rightarrow mg \sin \theta = 10 \text{ N}$$